

Case Study

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## Polynomial Analysis on Tendu Leaves Collection - A Case Study for Guarella-Pendra - Marwahi District

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### ABSTRACT

#### Keywords

Least square technique, Trends, collections, sales

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The purpose of this study is to look at the trends in collection and selling of Tendu leaves in the Guarella-Pendra-Marwahi district of Chhattisgarh. Chhattisgarh is the first state in India to produce high-quality Tendu leaves. For this study, the least square technique was used to fit curves and make short-term projections for Tendu Leaves collecting and sales. The data for this study came from Marwahi Van Mandal (which contains one District Union and sixteen Primary Co-operative Societies) for the years 2011 to 2020. These evaluations were carried out on a district, and societal level. The best fitted model was fourth order polynomial regression model in explaining the Tendu leaves collection and sales.

### Introduction

Coromandel Ebony or East Indian Ebony (*Diospyros melanoxylon*) is a species of flowering tree in the family *Ebenaceae* that is native to India and Sri Lanka and that has a hard, dry bark (Sabar, *et al.*, 2016; Sahu, *et al.*, 2017). Its common name derives from Coromandel, the coast of southeastern India. Locally it is known as Temburini or by its Hindi name Tendu. In Chhattisgarh it is known as Tendu.

Chhattisgarh is a forerunner in India when it comes to generating the highest quality Tendu (*Diospyros melanoxylon*) leaves. Tendu leaves are produced in about 16.44 lac standard bags every year, accounting

for about 20% of the country's total Tendu leave production. In Chhattisgarh, a regular bag of Tendu leaves consists of 1000 bundles of 50 leaves spices (Sharma, 2001). The collecting season in Chhattisgarh lasts from the third week of April to the second week of June but in Gaurella –Pendra-Marwahi from first week of may to the last week of may due to cold weather. In comparison to the northern half of the state, the collection season in the southern section of the state begins sooner (Mahapatra, 2000; Lele, *et al.*, 2015; Naik and Gawande, 2015).

Guarella –Pendra- Marwahi came into existence on 10<sup>th</sup> February 2020 as the 28<sup>th</sup> district of Chhattisgarh. The district is famous not only in the

state of Chhattisgarh but the whole of the India because of its unique features of tribal background (Lakhera, 2020). As per census 2011, more than 57% of the population belong to a back ground tribal community declared special by the central government. One of the tribes, namely Baiga is called "President's Dattak-Putra". Actually, Guarella-Pendra-Marwahi is Chhattisgarh's first special scheduled area. Since this community generates its income by collecting and selling.

### **Materials and Methods**

The current research is mostly focused on the Guarella-Pendra-Marwahi district of Chhattisgarh and the state of Chhattisgarh. Guarella-Pendra-Marwahi is a newly established district that was split from Bilaspur's mother district. The Guarella-Pendra-Marwahi district comprises the Marwahi district union, which has 16 registered societies (there were 22 before the division, and the societies were reduced from 22 to 16 in 2014). The 16 societies working under the Marwahi district.

The following statistical approaches to analyse the data:

### **Least Square Techniques**

The least squares approach is the most common and generally used way of fitting mathematical functions to a set of data. An examination of the plotted data is frequently sufficient for determining the type of trend to utilise.

#### **Model- 1 Straight Line Trend**

$$Y_t = a + bt + e$$

Where,

$Y_t$  = estimated Tendu leaves collections / sales

a = constant

b = regression coefficients

t = time variable

e = error term

#### **Model-II Exponential function**

$$Y_t = ab^t + e$$

Where,

Y = estimated Tendu leaves collections / sales for different years

A = log a

B = log b

t = time variable

e = error term

#### **Model- III 2<sup>nd</sup> order polynomial regression model**

$$Y_t = b_0 + b_1 t^1 + b_2 t^2 + e$$

Where,

Y = estimated Tendu leaves collections/sales for different years

$b_0, b_1, b_2$  = estimated regression coefficient

t = time variable

e = error term

#### **Model- IV 3<sup>rd</sup> order polynomial regression model**

$$Y_t = b_0 + b_1 t^1 + b_2 t^2 + b_3 t^3 + e$$

Where,

Y = estimated Tendu leaves collections/sales for different years

$b_0, b_1, b_2, b_3$  = estimated regression coefficient

t = time variable

e = error term

### **Model- V 4<sup>th</sup> order polynomial regression model**

$$“Y_t = b_0 + b_1 t^1 + b_2 t^2 + b_3 t^3 + b_4 t^4 e”$$

Where,

Y= estimated Tendu leaves collection/sales for different years

$b_0, b_1, b_2, b_3, b_4$  = estimated regression coefficient

t = time variable

e = error term

The following formula will be used to perform a "t" test to determine the significance of the regression coefficient:

$$“t = b_1 / S.E.(b_1) \text{ with } n-2 \text{ degree of freedom}”$$

Where,

$b_1$  = estimated value of  $b_1$

S.E.( $b_1$ ) = Standard Error of  $b_1$

n = number of observations

### **Results and Discussion**

#### **Curve fitting of Tendu leaves collection and sales in Gaurella-Pendra-Marwahi (G.P.M.)**

#### **Curve fitting of Tendu leaves collection in Gaurella-Pendra-Marwahi (G.P.M.)**

Polynomial regression up to fourth order and exponential regression was present in table 4.1 to 4.5 respectively. The table 4.1 revealed that the fitted regression line is not good fit since F calculated was not found significant. Second order, third order and exponential regression models were not good fitted since F calculated values were not found significant

as shown in Table no. 4.2,4.3 and 4.5. Table 4.4 represent the ANOVA for fourth order regression equation. It was observed from the table that the fitted model in significant.

Thus, the equation and  $R^2$  value of the best fitted model for Tendu leaves collection are given in Table 4.6. The observed and fitted curve for the model was shown in Fig. 4.1.

The critical observation of Table 4.6 indicated that fourth order regression model was best fitted model in explaining the Tendu leaves collection The fourth order regression model shows  $R^2$  (84.17%) value. The ANOVA table shows the significance levels at 5% and 1%.

#### **Curve fitting of Tendu leaves sales in Marwahi District Union for Guarella-Pendra-Marwahi**

Polynomial regression up to fourth order and exponential regression was present in table 4.7 to 4.11 respectively. The table 4.7 revealed that the fitted regression line is not good fit since F calculated was not found significant. Second order, third order and exponential regression models were not good fitted since F calculated values were not found significant as shown in Table no. 4.8,4.9 and 4.11. Table 4.10 represent the ANOVA for fourth order regression equation. It was observed from the table that the fitted model in significant.

Thus, the equation and  $R^2$  value of the best fitted model for Tendu leaves sales are given in Table 4.12. The observed and fitted curve for the model was shown in Fig. 4.2.

The observation of Table 4.12 indicated that fourth order regression model was best fitted model in explaining the Tendu leaves sales. The fourth order regression model shows  $R^2$  (32.69%) value. The ANOVA table shows the significance levels at 5% and 1%.

**Table.1** ANOVA for straight line

	<b>DF</b>	<b>SS</b>	<b>MS</b>	<b>F</b>	<b>Significant F</b>	
<b>Regression</b>	1	206330.8	206330.8	0.007	0.937	
<b>Residual</b>	8	243406104.6	30425763.1			
<b>Total</b>	9	243612435.3				
	<i>Coefficients</i>	<i>Standard Error</i>	<i>t Stat</i>	<i>P-value</i>	<i>Lower 95%</i>	<i>Upper 95%</i>
<b>Intercept</b>	19738.92	3768.12	5.239	0.0007	11049.63	28428.21
<b>Year(X)</b>	-50.00	607.29	-0.083	0.937	-1450.42	1350.39

**Table.2** ANOVA for Second order polynomial regression model

	<b>DF</b>	<b>SS</b>	<b>MS</b>	<b>F</b>	<b>Significance F</b>	
<b>Regression</b>	2	7214774.9	3607387.5	0.107	0.900	
<b>Residual</b>	7	236397660.4	33771094.4			
<b>Total</b>	9	243612435.2				
	<i>Coefficients</i>	<i>Standard Error</i>	<i>t Stat</i>	<i>P-value</i>	<i>Lower 95%</i>	<i>Upper 95%</i>
<b>Intercept</b>	17204.3	6834.97	2.518	0.039	1042.17	33366.4
<b>Year(X)</b>	1217.4	2854.57	0.427	0.683	-5532.67	7967.3
<b>X^2</b>	-115.3	252.91	-0.456	0.663	-713.24	482.9

**Table.3** ANOVA for third order polynomial regression model

	<b>DF</b>	<b>SS</b>	<b>MS</b>	<b>F</b>	<b>Significant F</b>	
<b>Regression</b>	3	43300235.4	14433411.7	0.433	0.738	
<b>Residual</b>	6	200312199.9	33385366.65			
<b>Total</b>	9	243612435.3				
	<i>Coefficients</i>	<i>Standard Error</i>	<i>t Stat</i>	<i>P-value</i>	<i>Lower 95%</i>	<i>Upper 95%</i>
<b>Intercept</b>	26478.09	11213.89	2.362	0.057	-961.335	53917.6
<b>Year(X)</b>	-7008.07	8405.36	-0.834	0.437	-27575.2	13559.1
<b>X^2</b>	1668.22	1733.74	0.963	0.374	-2574.09	5910.6
<b>X^3</b>	-108.09	103.964	-1.039	0.338	-362.48	146.31

**Table.4** ANOVA for fourth order polynomial regression model

	DF	SS	MS	F	Significant F	
<b>Regression</b>	4	205054684.6	51263671.2	6.648	0.031	
<b>Residual</b>	15	38557750.61	7711550.2			
<b>Total</b>	19	243612435.2				
	<i>Coefficients</i>	<i>Standard Error</i>	<i>t Stat</i>	<i>P-value</i>	<i>Lower 95%</i>	<i>Upper 95%</i>
<b>Intercept</b>	-7529.9	9175.21	-0.821	0.449	-31115.5	16055.8
<b>Year(X)</b>	36591.9	10341.49	3.539	0.017	10008.4	63175.6
<b>X^2</b>	-14285.5	3581.667	-3.989	0.011	-23492.4	-5078.4
<b>X^3</b>	2071.9	478.607	4.329	0.007	841.62	3302.22
<b>X^4</b>	-99.09	21.636	-4.579	0.006	-154.71	-43.474

**Table.5** ANOVA for Exponential function

	DF	SS	MS	F	Significant F	
<b>Regression</b>	1	0.0016	0.0016	0.0926	0.7687	
<b>Residual</b>	18	0.1301	0.017			
<b>Total</b>	19	0.1316				
	<i>Coefficients</i>	<i>Standard Error</i>	<i>t Stat</i>	<i>P-value</i>	<i>Lower 95%</i>	<i>Upper 95%</i>
<b>Intercept</b>	12.885	28.296	0.456	0.661	-52.366	78.135
<b>Year(X)</b>	-0.005	0.015	-0.305	0.769	-0.037	0.029

**Table.6** Fitted curve and R<sup>2</sup> values of Tendu leaves collection for Marwahi District Union (G.P.M.)

Model	Equation	R <sup>2</sup>
<b>Fourth order polynomial regression model</b>	Y = -99.091x <sup>4</sup> + 798763x <sup>3</sup> - 2E+09x <sup>2</sup> + 3E+12x - 2E+15 (21.635)**(478.607)**(3581.667)*(10341.49)*(9175.20)	0.8417

\*\*significant at 1% level &

\*significant at 5% level

**Table.7** ANOVA for straight line

	DF	SS	MS	F	Significant F	
<b>Regression</b>	1	5.37677E+15	5.37677E+15	2.59110968	0.146131178	
<b>Residual</b>	8	1.66007E+16	2.07508E+15			
<b>Total</b>	9	2.19774E+16				
	<i>Coefficients</i>	<i>Standard Error</i>	<i>t Stat</i>	<i>P-value</i>	<i>Lower 95%</i>	<i>Upper 95%</i>
<b>Intercept</b>	45635877.67	31118689.92	1.466510248	0.180683597	-26123949.91	117395705.2
<b>Year(X)</b>	8072979.297	5015230.989	1.609692418	0.146131178	-3492164.094	19638122.69

**Table.8** ANOVA for Second order polynomial regression model *DF*

	<i>DF</i>	<i>SS</i>	<i>MS</i>	<i>F</i>	<i>Significance F</i>	
<b>Regression</b>	2	6.8596E+15	3.4299E+15	1.5882	0.2699	
<b>Residual</b>	7	1.511E+16	2.1597E+15			
<b>Total</b>	9	2.1978E+16				
	<i>Coefficients</i>	<i>Standard Error</i>	<i>t Stat</i>	<i>P-value</i>	<i>Lower 95%</i>	<i>Upper 95%</i>
<b>Intercept</b>	8766882.917	54658588.52	0.160393511	0.877101597	-120480141	138013906.9
<b>Year(X)</b>	26507476.67	22827730.89	1.161196301	0.283623891	-27471529.39	80486482.74
<b>X^2</b>	-1675863.398	2022451.102	-0.828629872	0.434654035	-6458200.32	3106473.524

**Table.9** ANOVA for third order polynomial regression model

	<i>DF</i>	<i>SS</i>	<i>MS</i>	<i>F</i>	<i>Significance F</i>	
<b>Regression</b>	3	1.4872E+16	4.95732E+15	4.18606	0.0643	
<b>Residual</b>	6	7.10548E+15	1.18425E+15			
<b>Total</b>	9	2.19774E+16				
	<i>Coefficients</i>	<i>Standard Error</i>	<i>t Stat</i>	<i>P-value</i>	<i>Lower 95%</i>	<i>Upper 95%</i>
<b>Intercept</b>	146955059.3	66788210.1	2.200314383	0.070071832	-16469803.2	310379921.8
<b>Year(X)</b>	-96058027.09	50060934.08	-1.918822109	0.103434918	-218552719.7	26436665.54
<b>X^2</b>	24898785.91	10325873.74	2.411300635	0.052480864	-367716.8746	50165288.69
<b>X^3</b>	-1610584.806	619193.39	-2.601101394	0.040602217	-3125696.463	95473.14952

**Table.10** ANOVA for fourth order polynomial regression model

	<i>DF</i>	<i>SS</i>	<i>MS</i>	<i>F</i>	<i>Significant F</i>	
<b>Regression</b>	4	1.7588E+16	4.39699E+15	5.008567004	0.053494372	
<b>Residual</b>	5	4.38947E+15	8.77895E+14			
<b>Total</b>	9	2.19774E+16				
	<i>Coefficients</i>	<i>Standard Error</i>	<i>t Stat</i>	<i>P-value</i>	<i>Lower 95%</i>	<i>Upper 95%</i>
<b>Intercept</b>	7601272.75	97896287.73	0.07764618	0.94112096	-244049146.2	259251691.7
<b>Year(X)</b>	82600673.62	110340079.9	0.748600814	0.487796191	-201037531.3	366238878.5
<b>X^2</b>	-40474056.85	38215144.37	-1.0591104	0.33800889	-138709212.8	57761099.08
<b>X^3</b>	7322350.229	5106570.604	1.433907567	0.21105292	-5804507.402	20449207.86
<b>X^4</b>	-406042.5016	230848.4381	-1.758913792	0.138917605	-999457.303	187372.2998

**Table.11** ANOVA for Exponential function

	DF	SS	MS	F	Significant F	
<b>Regression</b>	1	0.1067	0.1067	2.9489	0.1243	
<b>Residual</b>	8	0.2895	0.0362			
<b>Total</b>	9	0.3961				
	<i>Coefficients</i>	<i>Standard Error</i>	<i>t Stat</i>	<i>P-value</i>	<i>Lower 95%</i>	<i>Upper 95%</i>
<b>Intercept</b>	-77.85	91.627	-0.849	0.421	-289.139	133.443
<b>Year(X)</b>	0.043	0.046	0.938	0.377	-0.063	0.148

**Table.12** Fitted curve and R<sup>2</sup> value of Tendu leaves sales in Guarella-Pendra- Marwahi District

Model	Equation	R <sup>2</sup>
<b>Fourth order polynomial regression model</b>	$y = -406043x^4 + 3E+09x^3 - 1E+13x^2 + 1E+16x - 7E+18$ (230848.44)( 5106570.61)( 38215144.37)( 110340079.9)( 97896287.73)	0.8003

\*\*significant at 1% level

\*significant at 5% level

**Fig.1** Fitted curve for Tendu leaves collection in Guarella- Pendra-Marwahi

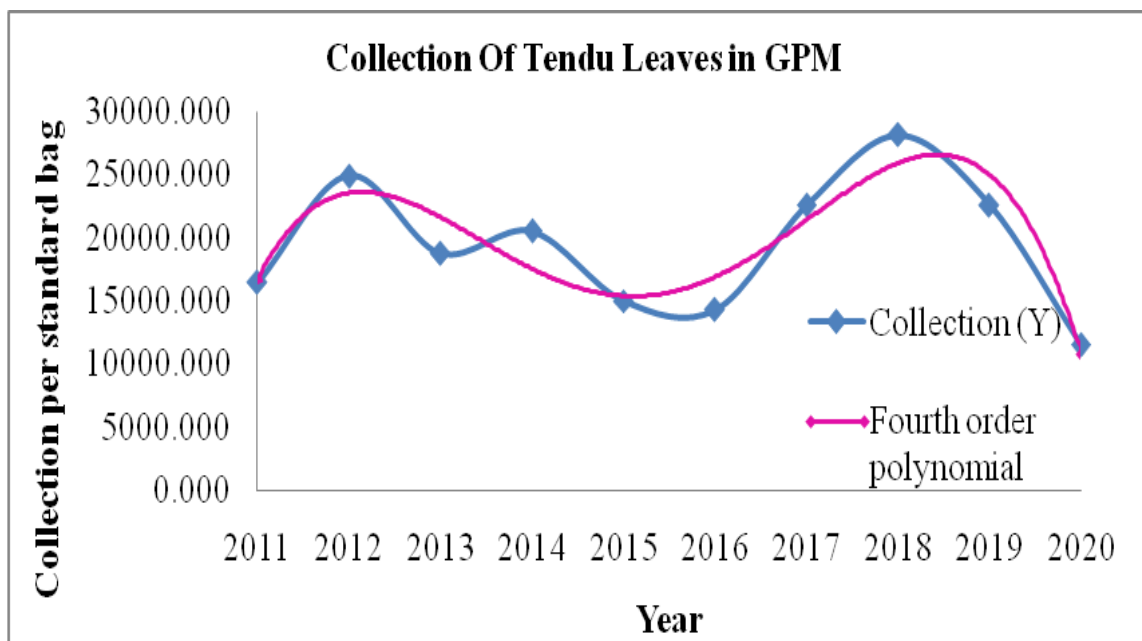
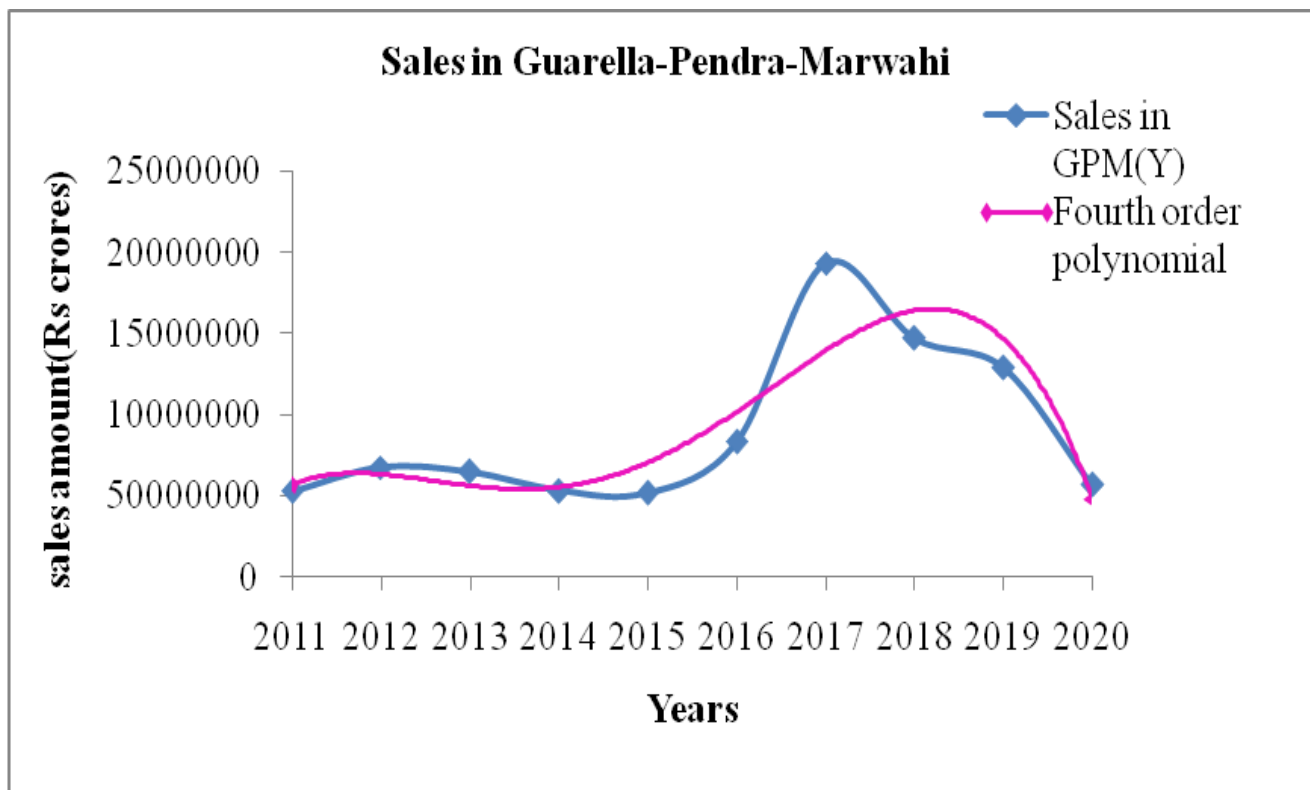




Fig.2 Fitted curve for Tendu leaves sales in Gaurella –Pendra- Marwahi



In Guarella-Pendra-Marwahi District, for Tendu leaves collection, the significant decreases trend shows the best fitted model was  $Y = -99.091x^4 + 798763x^3 - 2E+09x^2 + 3E+12x - 2E+15$  which showed  $R^2$  value 84.17%.

For Tendu leaves sales, the significant decreases trend shows the best fitted model was  $Y = 2E+06x^4 - 2E+10x^3 + 5E+13x^2 - 7E+16x + 3E+19$  which showed highest  $R^2$  value 32.69%.

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